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## PREDICTING THE NUMBER OF EMERGENCY ROOM PATIENTS BASED ON AGE GROUP

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### ABSTRACT

**Purpose:** In this study, we identify the significant variables for each patient group as well as an appropriate model to predict the number of patients by dividing emergency room patients into three age groups (0–14, 15–64, and 65 years or over), where hourly data from an emergency medical care center in Seoul, Korea, are utilized. **Methodology/approach:** Variables such as day of the week, holiday, weather, and air pollution are used as exogenous variables. The linear model, Poisson regression, auto-regressive with exogenous (ARX) model, and semi-parametric additive-based AR models are used for the prediction analysis. While different variables are identified to be significant according to the patient's age and prediction model, the variable  $O_3$ , a compound that can be used to measure air pollution, is significant regardless of the age and model. **Findings:** We find that the semi-parametric additive-based AR model, which has relatively low mean root mean square error and mean absolute error values compared with other models, is suitable for predicting the number of patients. Finally, the results show that the overall ability to predict the number of patients is higher when categorizing patients by age than considering the total number of patients. **Originality:** The main contribution is that variable  $O_3$  is an important factor and the age group-based semi-parametric forecasting schemes provide an effective result in hourly emergency room patient forecasting.

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### INTRODUCTION

The number of emergency room (ER) patients is on the rise every year worldwide. Between 2001 and 2011, the number has increased by 2.4% each year on an average. Among the OECD member countries, there has been a high increase rate of ER patients in countries such as Germany, Belgium, the U.K., and New Zealand, while the lowest rate increase in countries such as Chile, Ireland, and the Czech Republic (OECD Health working paper, 2015). In the U.S. in particular, the average number of ER patients has steadily increased from 90.3 million persons in 1993 to 113.9 million in 2003, and around 90% of all ERs in the country have said they have experienced overcrowding during the same 10 years.

In the case of Korea in 2009, the number of inpatients in emergency medical care centers in Seoul, Korea, exceeded 10 million and it has remained around this number ever since (Emergency Statistics Annual Report, 2013). This large number of inpatients has resulted in overcrowding in the ER, not only causing patient dissatisfaction but also affecting their medical treatment (Schull *et al.*, 2004; Asplin *et al.*, 2006; Bernstein *et al.*, 2009; Cooke *et al.* 2010). To mitigate this issue and utilize the limited resources and labor of medical care centers effectively, it is important to accurately predict the number of patients who visit the ERs (Pines and Hollander, 2008; Asplin *et al.*, 2006). In the case of ERs, it is impossible to predict the number of patients. That is, you never know how many patients will visit at a specific time. Thus, predicting the number of patients of emergency medical care centers does not only provide useful information to hospitals but also serve as important data for managing hospitals and their staff and providing services. Based on such data, resources and workforce can be efficiently used to help improve general satisfaction of patients and quality of treatment in the ER (Champion *et al.*, 2007; National Academies Press, 2006). ER

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demand prediction studies can be categorized into two types. The first type adopts appropriate prediction models. For example, Abraham *et al.* (2009) applied ARIMA and seasonal ARIMA (SARIMA) models to predict hospitalization services through ER visits and analyze medical resources. However, while McCarthy *et al.* (2008) suggested using the Poisson regression model to predict the number of intraday ER patients and Jones *et al.* (2008) argued that the SARIMA model is only suitable for predicting daily ER patient flows. DíazHierro *et al.* (2012) further stated that the integrated ARIMA model and harmonic analysis must be used to improve ER care. Kam *et al.* (2010) argued that the multivariate SARIMA model is the most suitable for predicting daily ER patient flows. The second type of study is based on exogenous variables (e.g., weather and time-series variables) and disease groups that affect the prediction models of ER patient flows. Lee *et al.* (2005) stated that high temperatures affect the number of ER patients, whereas Jones *et al.* (2008) showed that among weather variables, only temperature affects the number of patients. In addition to weather variables, air pollution variables have been used to study respiratory diseases such as asthma, with the study participants mostly being children under 15 years of age (Kim *et al.*, 2010; Walsh *et al.*, 2006). Im *et al.* (2000) studied the relation between asthma patients and their ER visits using air pollution variables. In addition, Farhat *et al.* (2005) argued that air pollution variables are related to ER visits as well as hospitalization of children having respiratory problems.

While previous studies have mainly predicted the total number of inpatients, mostly using exogenous variables such as day of the week, holiday, and weather variables, this study is novel from two aspects. First, ER patients are categorized into three age groups (0–14, 15–64, and 65 years or over), termed Groups 1, 2, and 3, respectively, and each group's significant variables are examined. Choi Byung-chul *et al.* (2000) have studied the relation between air pollution and respiratory disease patients by dividing the participants into three age groups (a group aged 0–14, another group aged 15–64, and still another group aged 65 or more). Based on that, this study divided its participants into three age groups for analysis. Second, while previous studies have considered only weather variables as exogenous variables when predicting patient number, the importance of environmental pollution is rising. Therefore, it is vital to use air pollution variables not only to study diseases but also to predict and analyze patient number. Therefore, five variables that measure air pollution, namely SO<sub>2</sub>, NO<sub>2</sub>, O<sub>3</sub>, CO, and PM<sub>10</sub>, are additionally used as exogenous variables in this study. Further, the auto-regressive with exogenous (ARX) model, Poisson regression model, and semi-parametric additive-based AR model (a non-linear model) are used to compare and evaluate the predicted number of patients for each group. The remainder of this paper is organized as follows. Section 2 introduces the general characteristics of the data on ER patient number and the variables used in the study. Section 3 describes the model and prediction evaluation method. Section 4 explains the actual data analysis and evaluation of the prediction accuracy of the adopted models. The final section concludes the study.

## Data

**Observations of Data:** The participants of this study were the ER patients of a university hospital in Seoul. Time-series data from 12/1/2011 to 1/30/2013 (i.e., 427 days or 10,248 hours) were used for the analysis. Figure 1 demonstrates the pattern

of ER patient flow by hour. Figure 1(a) shows the flow pattern of the total number of patients, illustrating that patient number increases or decreases similarly from Monday to Friday. However, the overall pattern on Saturdays and Sundays is different. The weekday pattern remains until 2 pm on Saturdays, when the number of patients gradually increases over time before decreasing after 8 pm. On Sundays, the number of patients increases again from 7 am, with an average of 15–18 patients checking in from 11 am to 8 pm. Next, we examined the flow pattern of inpatients based on age group. Figure 1(b) shows the inpatient group aged 0–14 years, illustrating that the pattern of these patients from Mondays to Fridays is similar to that of total patients. This number increases on Saturday afternoons, with demand rising substantially on Sundays. As shown in Figure 1(c), the pattern of the 15–64 years group is also similar to that of the entire patient group. While this number increases after 3 pm on Saturdays, it is the highest around 8 pm. In addition, the pattern on Sundays is different from that on the other days, similar to the pattern of Group 1 (aged 0–14 years). Finally, the graph in Figure 1(d), with patients aged 65 or over, demonstrates a contrasting pattern from those in Figures 1(a), 1(b), and 1(c). While the pattern of this group is similar to that of the others on weekdays, this group does not demonstrate such a “weekend effect.” Since the inflow of ER patients differs by age group as well as by the day of the week, this study divided ER patients into three age groups and the effect of the day for each age group was applied as an exogenous variable in the model. Summary statistics for each group by hourly data are reported in Table 1. “Total number” is the number of patients in each group.

## Variables

**Dependent Variables:** In this study, the three age groups (0–14, 15–64, and 65 years or over) of patients who checked into the ER from 12/1/2011 to 1/30/2013 were the dependent variables. The dependent variable  $N_{jk}$  indicates the number of patients at  $k$  (time) on  $j$  (day of the week) ( $j = 1, 2, \dots, 7, k = 1, 2, \dots, 24$ ). Brown *et al.* (2005) stated that when  $N_{jk}$  follows the Poisson distribution and is converted into  $y_{jk} = \sqrt{N_{jk} + 0.25}$ , the distribution approaches normal as  $y_{jk}$  increases. Such a conversion method was used to predict the number of calls at a call center by Weinberg *et al.* (2007) and Shin and Kim (2011). This study also converted  $N_{jk}$ , which has the characteristic of a discrete distribution, into  $y_{jk} = \sqrt{N_{jk} + 0.25}$ , which was then used in the prediction analysis. This conversion method helped stabilize the distribution. Further, the converted  $y_{jk}$  was applied to the auto-regressive with exogenous (ARX) and semi-parametric additive-based AR models.

## Independent Variables

- Time-series variables: This study adopted 24-hour and weekly seasonal cycles for its time-series variables, which were derived through a spectrum analysis. Further, holiday effect variables were also used as dummy variables.
- Weather variables: Weather variables typically include temperature, humidity, precipitation, and storms, which are regional characteristics. For instance, Lee *et al.* (2005) studied the impact of these variables on the number of ER patients. The current

study applied the mean values of temperature and humidity in Seoul, as measured by the National Weather Service.

- Air pollution variables: Typical air pollution variables include SO<sub>2</sub>, NO<sub>2</sub>, O<sub>3</sub>, CO, and PM10, which are measured by the 27 stations of the automatic air quality monitoring network, all located in Seoul. The data are presented as the mean value continuously measured for an hour. This study used the abovementioned air pollution indicators measured from 12/1/2011 to 1/30/2013 at the air quality monitoring station located near the examined emergency medical care center.

## Models

**Auto Regressive Model:** Abraham *et al.* (2009) applied the ARIMA model to predict hospitalization services through ER visits. Jones (2002) and Zibners *et al.* (2006) showed that the SARMA model is useful in predicting the total number of ER patients.

The basic AR model is expressed as

$$(1 - \phi_1 B - \phi_2 B^2 - \dots - \phi_p B^p) X_t = E_t.$$

$P$  was called the order of the AR model and non-negative integer. The AR model should be no serial correlation and was covariance stationary. This study used the auto-regressive with exogenous (ARX) model, which also has exogenous variables.

**Poisson Regression:** The Poisson regression model is a generalized linear model that uses independent variables to modify the frequency or count of the dependent variable. The Poisson regression model in this study is described in the equation below. Here  $\mu_k$  (expected value) indicates the frequency of the incidents per period, and log functions are used because the Poisson distribution is always greater than 0. The log of  $\mu_k$  is expressed as the exponential sum of the independent variables:

$$\log \mu_k = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \dots + \beta_k x_k.$$

Farhat *et al.* (2005) stated that patients who visit or check into the ER are considered as count events that follow the Poisson distribution and hence used the Poisson regression model. In addition, Schwarts (2013) assumed that the errors follow the Poisson distribution in the regression analysis.

**Semi-Parametric Additive:** The semi-parametric additive model is used when the relationship between the independent and dependent variables is non-linear. The following basic formula of the semi-parametric additive model, in which function  $g_i$  is predicted using the smoothing spline method, is used:

$$Y_t = \beta_0 + g_1(x_{1i}) + g_2(x_{2i}) + \dots + g_k(x_{ki}) + \varepsilon_t.$$

In this study, the time-series lag and holiday effect were predicted using the parametric method, while the temperature, humidity, and air pollution variables were predicted and analyzed using the smoothing spline method.

For example, the formula for the number of patients in Group 3 (aged 65 or over) is as follows:

$$Y_t = \beta_0 + \beta_1(y_{t24}) + \beta_2(y_{t48}) + \beta_3(y_{t72}) + \beta_4(y_{t96}) + \beta_5(y_{t168}) \\ + g_1(\text{temperature}) + g_2(\text{humidity}) + g_3(O_3) + g_4(NO_2) + \varepsilon_t$$

## Evaluation of the Prediction Ability of the Models

This study used the method described in Weinberg *et al.* (2007) as its evaluation standard of prediction accuracy. The two equations below calculate the root mean square error (RMSE) and mean absolute error (MAE) per  $j$  day:

$$RMSE_j = \left( \frac{1}{K} \sum_{k=1}^K (N_{jk} - \hat{N}_{jk})^2 \right)^{\frac{1}{2}}, \quad MAE_j = \sum_{k=1}^K \frac{|N_{jk} - \hat{N}_{jk}|}{N_{jk}}$$

$\hat{N}_{jk}$  is used in the auto-regressive with exogenous (ARX) model and semi-parametric additive-based AR models to calculate the number of ER patients predicted at  $k$  (hour) on  $j$  (day) as  $\hat{N}_{jk} = \hat{y}_{jk}^2 - 0.25$ .  $\hat{y}_{jk}$  is the predicted value of  $y_{jk} = \sqrt{N_{jk} + 0.25}$ . Here,  $k$  is 24 because the study data were observed for a day (i.e., 24 hours). A prediction was made every hour for 24 hours, and the evaluation was analyzed each day. The prediction period for the number of patients on the following day was 30 days (from 1/1/2013 to 1/30/2013). Therefore,  $j = 1, 2, \dots, 30$ , and 30 RMSE and MAE values each were predicted. The prediction accuracy of the models was then evaluated based on this result using the mean of these values. This study used in-sample and out-of-sample testing in the analysis to predict the model and evaluate its prediction ability, respectively. The initial in-sample data were obtained from 12/1/2011 to 12/31/2012 (9,528 hours) and the out-of-sample data were from 1/1/2013 to 1/30/2013 (720 hours). In addition, the in-sample data were updated every day (24 hours). The specific prediction evaluation of a model can be applied in the following steps:

- Step 1:** Using the initial in-sample data, find the time lag and exogenous variable that affect the model.
- Step 2:** Using the model formula based on the significant variables found in the in-sample data, predict the number of patients for the next day by hour (24) and calculate the RMSE and MAE of the corresponding day.
- Step 3:** Update the range of the in-sample data each day (24 examined values) and repeatedly predict the number of patients by hour the following day.
- Step 4:** Obtain the RMSE and MAE for 30 days in total to evaluate the accuracy of the predicted values for each model.

## RESULTS

### Estimation

Before conducting the prediction analysis, the augmented Dickey–Fuller unit root test was performed to see whether the time-series data of this study were stationary. The data were identified to be stationary and, thus, appropriate for the time-series analysis. Then, the time-series data were analyzed to check for significant cycles. First, Bartlett's Kolmogorov–Smirnov statistics were used to conduct the white noise test, which showed that the cycles were significant.

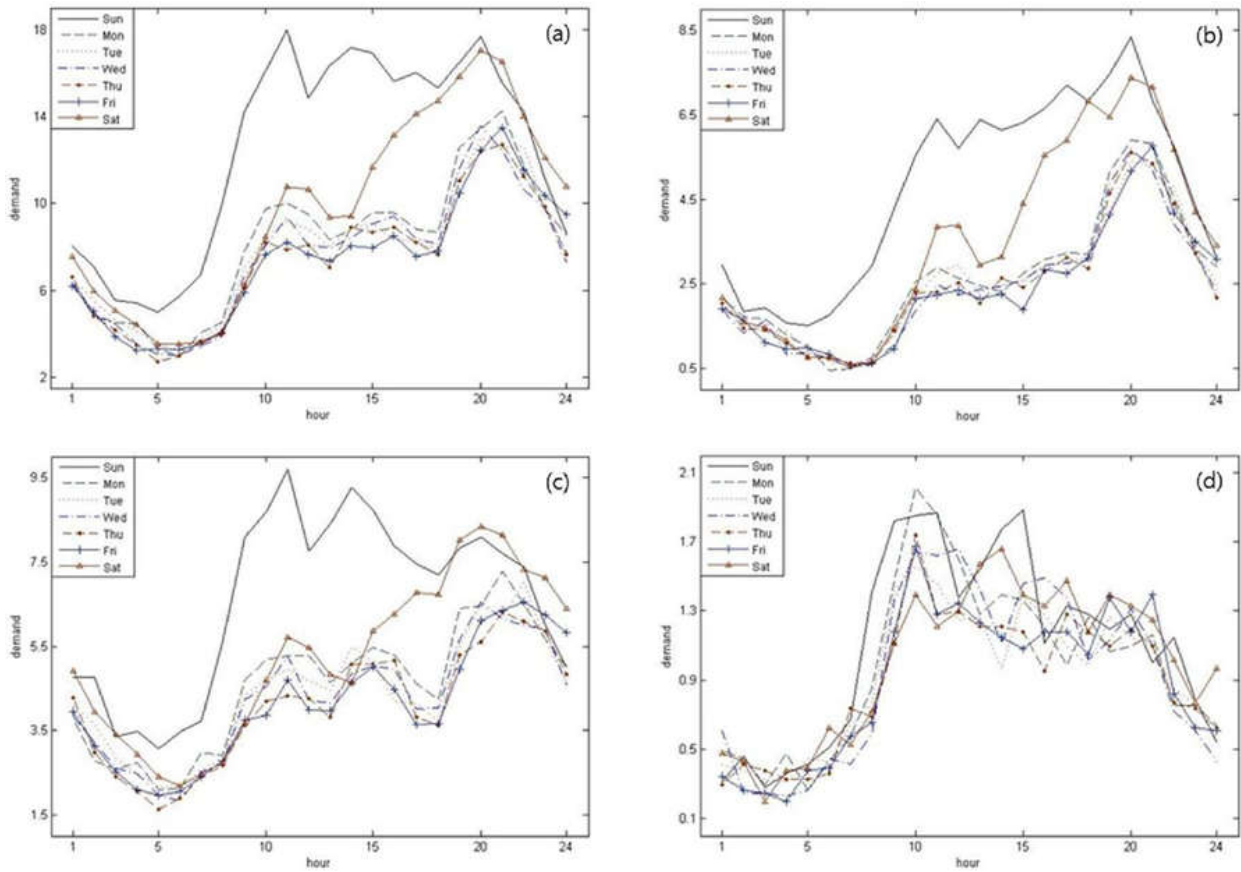


Figure 1. Average Number of Patients per Day

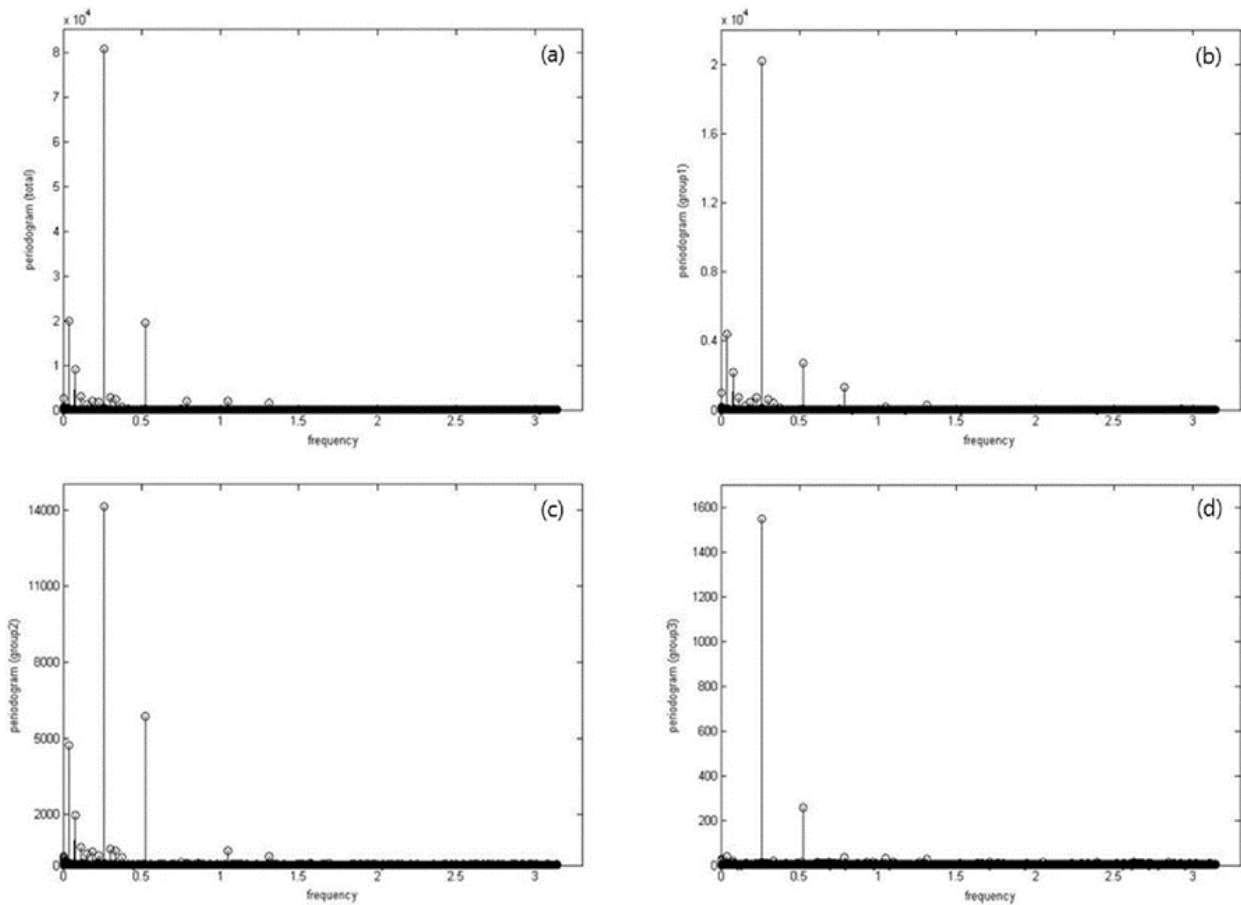


Figure 2. Periodogram of the Number of Patients by Group

**Table 1. Descriptive Statistics of Data**

	Total Patients	Group 1	Group 2	Group 3
mean	8.6259	2.9490	4.7160	0.9609
standard deviation	5.1080	2.6257	2.9297	1.0974
median	8	2	4	1
min	0	0	0	0
max	40	24	24	7
total number	88,398	30,221	48,330	9,847

**Table 2. Regression Model Prediction Value of the In-Sample Data**

Variable	Total Patients	Group 1	Group 2	Group 3
(Intercept)	8.5274	2.7322	4.7641	1.2368
Holiday	5.3339	2.1870	2.7731	0.3527
Temperature	0.0701	0.0287	0.0348	0.0060
Humidity	-0.0527	-0.0235	-0.0211	-0.0092
CO	1.1376	0.7456	0.5451	
O <sub>3</sub>	43.8335	26.8222	13.4524	3.0932
NO <sub>2</sub>	16.3819	9.5747		3.3495
SO <sub>2</sub>		-20.8173		
PM10				

**Table 3. Poisson Regression Prediction Value of the In-Sample Data**

Lag	Total Patients	Group 1	Group 2	Group 3
(Intercept)	2.1591	1.0474	1.5520	0.2102
Holiday	0.4867	0.5526	0.4742	0.3153
Temperature	0.0079	0.0093	0.0072	0.0066
Humidity	-0.0061	-0.0080	-0.0044	-0.0096
CO	0.1252	0.2217	0.0843	
O <sub>3</sub>	4.2082	6.9624	2.5767	2.4761
NO <sub>2</sub>	1.6838	2.4471	0.8131	2.9011
SO <sub>2</sub>		-7.4023		6.7688
PM10		0.0005		

**Table 4. AR model with Exogenous Prediction Value of the In-Sample Data**

Lag	Total Patients	Group 1	Group 2	Group 3
(Intercept)	1.4629	0.6430	1.2407	0.5779
24	0.0331	0.0527	0.0351	0.0438
48	0.0178	0.0263	0.0226	0.0437
96	0.0175	0.0303	0.0207	0.0342
168	0.0623	0.0917	0.0570	0.0449
Holiday	0.6537	0.4645	0.4801	0.1178
Temperature	0.0021	0.0024	0.0021	0.0017
Humidity	-0.0025	-0.0028	-0.0018	-0.0026
CO	0.0705	0.0840		
O <sub>3</sub>	2.9356	2.9021	1.9873	0.9839
NO <sub>2</sub>				0.8517
SO <sub>2</sub>				
PM10				

**Table 5. Semi-parametric Additive-based AR Model Prediction Value of the In-Sample Data**

Lag	Total Patients	Group 1	Group 2	Group 3
(Intercept)	1.4546	0.6336	1.2119	0.5144
24	0.0331	0.0524	0.0349	0.0415
48	0.0174	0.0255	0.0222	0.0415
96	0.0174	0.0298	0.0203	0.0330
168	0.0625	0.0919	0.0568	0.0431
Holiday	0.6890	0.4940	0.4997	0.1385
degree of freedom				
s(Temperature)	6.6260	5.4400	4.2560	6.4050
s(Humidity)	3.7150	3.5610	4.6050	3.3950
s(CO)	1.0000	2.6700	3.5970	
s(O <sub>3</sub> )	3.7190	2.9970	3.6490	3.9010
s(NO <sub>2</sub> )				1.6780
s(SO <sub>2</sub> )				4.7420
s(PM10)				

**Table 6. Mean Values of the RMSE for the Predicted Number of Patients**

RMSE	Number of Patients by Group (by age)			
	Total Patients	Aged 0–14	Aged 15–64	Aged 65 over
	Total (88,398)	(30,221)	(48,330)	(9,847)
Linear regression	4.3772	2.0833	2.8404	1.1131
Poisson	7.6901	2.5238	4.5526	1.4963
Auto regression	3.5694	1.8292	2.5884	1.1205
Semi-parametric	3.5438	1.8120	2.5688	1.1211

**Table 7. Mean Values of the MAE for the Predicted Number of Patients**

MAE	Number of Patients by Group (by age)			
	Total Patients	Aged 0–14	Aged 15–64	Aged 65 over
	Total (88,398)	(30,221)	(48,330)	(9,847)
Linear regression	3.4014	1.6097	2.2125	0.8167
Poisson	6.2458	1.7167	3.6514	1.0000
Auto regression	2.6792	1.2708	1.9583	0.7750
Semi-parametric	2.6694	1.2583	1.9431	0.7736

The spectrum analysis was then conducted to find more specific cycles, and the statistics showed a significant result. Figure 2(a) is the periodogram used to find the seasonal cycle of the total number of patients. The figure shows that the most significant cycle (period), which is the largest periodogram, was 24 and the second most significant period was 168. This finding indicates that the data of this study with the spectrum analysis have a consistent variability for 24 and 168. Figures 2(b), 2(c), and 2(d) demonstrate the periodograms by age. The significant period of patients in Group 1 (aged 0–14 years) was the same as that of the total number of patients. The most significant periods of Group 2 (aged 15–64) and Group 3 (aged 65 or over) were also 24, and the second most significant periods were 12 for both.

In the temporal data, the number of daily (weekly) intervals was 24 (168), indicating that the total number of patients has daily and weekly intervals. Therefore, the number of ER patients has seasonal characteristics by day and week. The prediction analysis was conducted using the daily and weekly intervals found in the periodogram. When selecting specific variables, only the time-series model lags applied to the initial in-sample data and significant exogenous variables below a significance level of 0.05 were selected. Tables 2–5 summarize the variables that affect the number of patients. Holiday, a time-series variable, weather variables, and ozone (O<sub>3</sub>), an air pollution variable, were found to be significant for all groups of the four models. In addition, Group 3 (aged 65 or over) showed that O<sub>3</sub> and NO<sub>2</sub> had an impact regardless of the model type. Different variables influenced the number of patients, depending on the prediction model.

**Prediction:** Tables 6 and 7 summarize the prediction evaluation result for each model, showing that accuracy increased as the mean values of the RMSE and MAE decreased. The result of the prediction model also showed that the mean values of the RMSE and MAE of the semi-parametric additive-based AR model were the lowest of the four models. This finding indicated that non-linear exogenous variables that affect the number of patients must be considered.

## Conclusion

This study aimed to find the most suitable model for predicting the inflow of emergency medical care center patients by age.

For the analysis, the hourly number of inpatients, which was the dependent variable, was divided by age while exogenous variables such as time-series variables, weather variables, and air pollution variables were used as independent variables. Then, the predicted patient numbers were compared and evaluated using three models with significant variables. As a result, holiday, a time-series variable, weather variables, and ozone (O<sub>3</sub>), an air pollution variable, were confirmed to have an impact regardless of the prediction model and age. This result shows that O<sub>3</sub> has an important role in predicting the number of patients. In addition, while NO<sub>2</sub> was significant in Group 3 (aged 65 or over). Therefore, ER patients aged 65 or over become affected not only by O<sub>3</sub> but also by NO<sub>2</sub>. The goodness-of-fit result of the prediction model was as follows. All groups, including total patients, showed that the mean values of the RMSE and MAE of the semi-parametric additive-based AR model were the smallest. This finding indicated that it would be more convenient to use non-linear exogenous variables than linear variables. In addition, selecting the appropriate model for each age group of patients would increase the accuracy when predicting the number of emergency medical care center patients.

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